Energy-efficient operation of a Medium Density Fibreboard flash dryer through Nonlinear MPC

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MDF tube flash dryer at Sonae



Dryer with former SISO control structure



Feasible air temperature SP set by operators.

Challenges to face

- Important system delay: ~25 sec. residence time of fibers in the cyclone stage
- Scarce measured variables for modeling and control: only air temperatures at the tube extremes and fiber humidity after the ciclones
- Sampling time larger than the residence time of fibers in the tube dryer: no information about the (spatial) drying dynamics
- Different operation regimes due to product changes: inlet fiber humidity X_0 , fiber diameter/length, fiber flow q_f ...
- Nonlinear effect of the actuators (air flaps) in the controlled variables.

Proposed centralized MPC scheme

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-No fixed temperature SP is required: <u>degree of freedom for economic optimization</u> -All reliable measurements are employed to enhance prediction performance

Grey-box lumped-parameter model

- First principles:
 - Global mass & energy balances
 - Heat loss to ambient
 - First-order dynamics plus delay at the cyclones

- Assumptions:
 - Thermal equilibrium at dryer outlet
 - Instantaneous drying: spatial dynamics (PDEs) neglected
 - Energy accumulation in the tube dryer
 - "Constant" Inlet fiber humidity
- Need of experimental equations:
 - Air flows (hot and cold) as function of the control actions (a_{hot}, a_{cold} openings)
 - Relationship between outlet air temperature T_{out} and fiber humidity X_f
 - Some model parameters p

 $\dot{x} = f(x, u, z, p, d),$ h(x, u, z, p, d) = 0 $x \coloneqq [T_t, X_f]$ $u \coloneqq [a_{hot}, a_{cold}]$ $d \coloneqq [q_f, T_{amb}, W_{amb}, T_{hot}, X_0]$

Grey-box modeling procedure

- . COMPUTE COHERENT ESTIMATIONS FOR ALL PROCESS VARIABLES
 - With all sensors data and the first-principles equations, solve a dynamic data reconciliation problem
 - Estimated values over time are consistent with the process physics
 - Not-trustable sensors are automatically discarded

2. FORMULATION OF ADDITIONAL EXPERIMENTAL EQUATIONS

- With previous estimations, get each black-box submodel via constrained regression
- Consistency of data-driven equations with process physics is ensured

Experimental customization to actual plant

 $\bullet F_{\text{in}} = K_f \cdot \left(1 - e^{-7,1(a_{\text{hot}} + a_{\text{cold}})}\right) \quad K_f, K_T \text{ or}$

 K_f, K_T are "constant" regression parameters

 $\frac{F_{\text{hot}}}{F_{\text{amb}}} = K_T \sqrt{\frac{a_{\text{hot}}}{a_{\text{cold}}}}$

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 $- T_{\rm out} = -107 \cdot X + \gamma$

γ is a bias parameter that fits the operation point

Linearity supported by the the Gay-Lussac's law





Unknown inputs and state estimation

- A Moving Horizon Estimator (MHE) is used to provide the values of the time-varying parameters, unmeasured states and disturbances
- MHE estimations will be coherent with MPC predictions: model equations are the same for both optimization problems.
- Correct bias-state estimation achieved in steady state.

Output error: Plant-
model mismatch Regularization: penalty to high
changes w.r.t. the previous estimation
$$\begin{array}{l} \underset{\alpha,x_{0}}{\min} \int_{t=-H_{E}}^{0} \left\| w_{f} \cdot \left(y(t) - \hat{y}(t) \right) \right\|_{2}^{2} + \left\| w_{\alpha} \cdot \Delta_{\alpha} \right\|_{2}^{2} + \left\| w_{x_{0}} \cdot \Delta_{x_{0}} \right\|_{2}^{2} & \alpha = \begin{bmatrix} T_{t0}, X_{f0}, \\ K_{f}, K_{T}, \gamma, \\ K_{f}, K_{T}, \gamma, \\ X_{0} \end{bmatrix}$$
s.t.: $\dot{x} = f(x, u, z, p, d), x(0) = x_{0}; h(x, u, z, p, d) = 0; m(x, u, z, d) = 0$

$$X_{0}$$

Mixed tracking-economic NMPC design

- Virtual setpoints $y_s = [X_{fS}, T_{inS}]$ added to guarantee stability: Additional decision variables that are always reached at the end of H_P
- **Tracking target:** X_{fR} . The L_1 -norm guarantees X_{fS} eventually reaches X_{fR}
- Economic target: T_{inR}. Indirectly minimizes the use of hot gases.

$$\begin{array}{c} \underset{u,y_{S}}{\text{Error w.r.t. virtual SPs}} & \underset{aggressive \Delta u}{\text{Penalty to }} & \underset{objective}{\text{Actual tracking }} & \underset{target}{\text{Economic }} \\ \underset{u,y_{S}}{\text{min }} & \underset{t=1}{\overset{H_{P}}{\sum}} w_{y} \cdot \|y(t) - y_{S}\|_{2}^{2} + \underset{t=1}{\overset{H_{C}}{\sum}} w_{u} \cdot \|\Delta u\|_{2}^{2} + w_{sp} \cdot \|X_{fS} - X_{fR}\|_{1} + w_{e} \cdot T_{in_{R}} \\ \\ \text{s.t.:} & \dot{x} = f(x, u, z, p, d), x(0) = x_{0}; \ h(x, u, z, p, d) = 0; \ m(x, u, z, d) = 0; \\ & \underset{x}{\underline{T}} \leq T_{in} \leq \overline{T}; \quad \underline{u} \leq u \leq \overline{u}; \ |\Delta u| \leq \delta \\ & \dot{x}_{S} = f(x_{S}, u_{S}, p, \delta) = 0; \quad u(t) \equiv u_{S} \ \forall t \geq H_{C} \end{array} \right\}$$

Technical implementation

- Model dynamics discretized in time via Orthogonal Collocation
 - Finite elements of 5-seconds length, 2-degree interpolation
- Nonlinear optimization problems coded in CasADi
 - Automatic-differentiation features
 - Easy integration with the control system at SONAE through MATLAB
- Numerical resolution by the NLP solver IPOPT
 - Horizons set to: $H_E = H_C = 8$; $H_P = 20$ (system delay is 5 samples)
 - Total execution time (MHE+MPC) is around 1,5 sec. ($< T_s = 5$ sec.)
- Connection with the plant data-collection system through OPC-DA

Comparison with PID control in simulation

Model for simulation taken from specialized literature:

Pang (2000), Mathematical modelling of MDF fibre drying: Drying optimisation. Drying Technology, 18(7),1433-1448.

Spatial drying PDE dynamics for flash tube dryers:

$$\frac{\partial X}{\partial l} = v \cdot \left(\frac{2}{L_f} + \frac{4}{d_f}\right) \cdot U \cdot \frac{T_{db} - T_{wb}}{\Delta H_w \cdot q_f}$$

 SISO PID loops were tuned for the simulation model following the SIMC rules

Results

- Control performance improved when facing disturbances in X_0, q_f
 - PID control oscillates when operating with flaps a_c , a_h quite closed.
 - Measured disturbances are instantaneously compensated with NMPC
- No need for operator intervention when the operation point changes
- Target humidity always achieved with NMPC, if feasible of course



Experimental evaluation onsite

 COMPARISON WITH ACTUAL PID CONTROL:

- ISE reduced by 63%
- Time the humidity is outside a ±0,5% confidence band decreased by 76%





* Actual data recorded from the plant

Summary & final remarks

- COMBINATION OF FIRST-PRINCIPLES AND DATA-DRIVEN EQUATIONS IN A (LIMITED COMPLEXITY) GREY MODEL IS KEY:
 - Keeps consistency with the process physics \rightarrow reliable predictions
 - Proven suitable for real-time

MODEL ADAPTATION IS REQUIRED TO ENSURE LONG LIFE OF DESIGNS:

 Unmodelled (microscale) drying dynamics and unmeasured nature of some input disturbances affecting the process (i.e., X₀)

STABILITY, FEASIBILITY & OPTIMALITY IS GUARANTEED IN THE NMPC:

Operators' work load is reduced



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